

Sources of Nano-beams – a comparison between ATF, TESLA and NLC Damping Rings

Sources of vertical emittance Emittance tuning Global and local Collective effects A. Wolski (LBL), W. Decking (DESY) & ATF Group (KEK)

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	ATF achieved	TESLA e^+ Ring	NLC MDR	
Energy	1.3 GeV	5.0 GeV	1.98 GeV	
Relativistic Factor	2544	9785	3875	
Store Time		200 ms	25 ms	
Damping Time	10/12 ms	28.0 ms	5.00 ms	
Normalized Injected Emittance	100 µm rad	0.01 m rad	150 µm rad	
Normalized Extracted Emittance		0.02 µm rad	0.02 µm rad	
Normalized Equilibrium	0.038(0.02) um rad	0.0138 um rad	0.0122 um rad	
Emittance	0.038 (0.02) µiii Tau	0.0138 µiii iau	0.0152 µiii 1au	
Geometric Equilibrium	15(75) nm rad	1 /1 nm rad	3 40 nm rad	
Emittance	15 (7.5) pili lau	1.41 pill lau	5.40 pili lau	

ATF results – single bunch

(low I result)

ATF needs about a factor ~3 to achieve LC goals

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Salient features

- Tesla
 - 90% damping from wiggler
 - Non-planar
 - Very long straight sections
 - Skew quads for coupling insertion
- NLC
 - 60% damping from wiggler
- ATF
 - Wiggler usually not used
 - Low energy (1.3 GeV)
 - exists

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Due to the opening angle 'geometric part' of synchrotron radiation

- TESLA 0.42 pm-rad
- NLC 0.14pm-rad
- ATF (similar to NLC)

$$\varepsilon_{y,\min} = \frac{C_q \left< \beta_y \right>}{2J_y} \frac{I_3}{I_2}$$

• Minimum achieved at ATF 5 pm – rad at low current

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- 1997 50 pm-rad
- 1998 35 pm-rad
- 1999 35 pm rad
- 2000 15 pm rad (low I)/ 23 pm rad (nom I)
- 2001 10 pm rad (low I) / 17 pm rad (nom I)
- 2002 <10 pm rad (low I)

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Work in progress \rightarrow use only as a rough guide

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For uncorrelated misalignments:

$$\left\langle y_{co}^{2} \right\rangle \approx \frac{\left\langle \beta_{y} \right\rangle}{8 \sin^{2} \pi \nu_{y}} \left(\sum_{\text{quadrupoles}} \beta_{y} (k_{1}l)^{2} \right) \left\langle \Delta Y_{\text{quadrupole}}^{2} \right\rangle$$
$$\left\langle \eta_{y}^{2} \right\rangle \approx \frac{\left\langle \beta_{y} \right\rangle}{2 \sin^{2} \pi \nu_{y}} \left(\sum_{\text{quadrupoles}} \beta_{y} (k_{1}l\eta_{x})^{2} \right) \left\langle \Delta \Theta_{\text{quadrupole}}^{2} \right\rangle$$
$$\left\langle \eta_{y}^{2} \right\rangle \approx \frac{\left\langle \beta_{y} \right\rangle}{8 \sin^{2} \pi \nu_{y}} \left(\sum_{\text{quadrupoles}} \beta_{y} (k_{2}l\eta_{x})^{2} \right) \left\langle \Delta Y_{\text{sextupole}}^{2} \right\rangle$$

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-CLIC	J/NLC	
	oncitivity	



Sensitivity Parameters

		ATF	$\begin{array}{c} TESLA \\ e^+ Ring \end{array}$	NLC MDR
Vertical Tune	V_y	8.7589	41.1915	11.1357
Mean Beta Function at BPMs	$\left< oldsymbol{eta}_{y} \right>$	4.6 m	12 m	7.1 m
Quadrupole Orbit Factor	$\sum_{\text{quadrupoles}} \beta_y(k_1 l)^2$	338 m^{-1}	563 m ⁻¹	507 m ⁻¹
Quadrupole Dispersion Factor	$\sum_{ ext{quadrupoles}} oldsymbol{eta}_y (k_1 l \eta_x)^2$	2.88 m	82.6 m	2.42 m
Sextupole Dispersion Factor	$\sum_{\text{sextupoles}} \beta_y (k_2 l \eta_x)^2$	486 m ⁻¹	4250 m ⁻¹	1300 m ⁻¹

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Generation of vertical dispersion

J/NLC

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Lattice	$\sqrt{\left< oldsymbol{\eta}_y^2 \right>} \Big/ \sqrt{\left< \Theta_{ ext{quadrupole}}^2 \right>}$	$\sqrt{\left\langle oldsymbol{\eta}_{_{\mathcal{Y}}}^2 ight angle} \Big/ \sqrt{\left\langle \Delta Y_{ ext{sextupole}}^2 ight angle}$
ATF	6 m	130
TESLA	40 m	140
NLC	9 m	100



CLIC

TESLA



 $\varepsilon_{y} = 2J_{\varepsilon} \frac{\langle \eta_{y}^{2} \rangle}{\langle \beta_{y} \rangle} \sigma_{\delta}^{2}$

Lattice and region of energy loss	$ arepsilon_{_{y}}/\langle\eta_{_{y}}^{_{2}} angle$	$\max \sigma_{\eta_y}$
ATF arcs	$2.7 \times 10^{-7} \text{ m}^{-1}$	
TESLA wiggler	$5.6 \times 10^{-7} \text{ m}^{-1}$	1.5 mm
NLC full lattice	$4.6 \times 10^{-7} \text{ m}^{-1}$	3.5 mm

• Since dispersion correction to better than 1 mm is generally required, and energy variation is limited to the order of 0.1%, the BPM resolution must be 1 μ m or better.

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Emittance generated by η_y



J/NLC

TESLA



-		TESLA	A e ⁺ Ring	NLC MDR	
		Analytic	Simulation	Analytic	Simulation
Vertical	$c //n^2$	5.63×10 ⁻	5.90×10^{-7}	4.60×10 ⁻	4.83×10^{-7}
Emittance	$\boldsymbol{c}_{y}/\langle \boldsymbol{\eta}_{y}/$	$^{7} { m m}^{-1}$	m^{-1}	$^{7} { m m}^{-1}$	m^{-1}
Quadrupole					
Vertical	$\langle y_{co}^2 \rangle / \langle \Delta Y^2 \rangle$	112	115	50.9	46.0
Alignment	\mathbf{V} (* co / / ()				
Quadrupole	$/n^2 / / \Lambda \Theta^2 $	86.0 m	87.0 m	7.04 m	
Roll	$\sqrt{\eta_y}/\sqrt{\Delta O}$	80.0 III	87.0 III	/.04 111	
Sextupole					
Vertical	$\sqrt{\langle \eta_v^2 \rangle}/\langle \Delta Y^2 \rangle$	309	304	52.7	64.1
Alignment	$\mathbf{V} \setminus \mathbf{v} \neq \mathbf{v} + \mathbf{v} \neq \mathbf{v}$				

The quadrupole vertical alignment, is of limited significance for the vertical emittance, since the uncorrected closed orbit is typically dominated by the principal betatron modes, and the beam offset in the sextupoles is correlated around the ring as a result.

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- Dependence on beam based alignment strategy and systematic errors
 - BPMs and BPM location; local lattice
- BBA consists of two pieces
 - 1. Determination of BPM / magnet center offset
 - 2. Determination of component alignment



Simulation seed distribution/results

	NLC	TESLA
Quadrupole vertical misalignment rms	100 µm	100 µm
Quadrupole roll rms	100 µrad	100 µrad
Sextupole vertical misalignment rms	100 µm	100 µm
BPM resolution	0.5 µm	1 µm
Energy variation for dispersion measurement	±0.1%	±0.2%
Correction effectiveness	90%	70%
		(85%)

(correction effectiveness w/o coupling bumps) → algorithm development in process

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Simulation qualifications

J/NLC

Included:

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• quadrupole vertical alignment errors;

- quadrupole rotations about the beam axis;
- sextupole vertical alignment errors;
- limited BPM resolution.

Not included:

- dipole vertical alignment and rotation errors;
- horizontal orbit and dispersion errors;
- optics errors arising from focusing variations;
- BPM rotations;
- effects of nonlinear wiggler fields;
- limitations from malfunctioning BPMs and correctors;
- tuning of the skew quadrupoles used to implement beam coupling in the TESLA damping ring.

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TESLA



- ATF does not have one BPM/Quad (~ BPM/sextupole)
- The arrangement allows for systematic checks on BBA
- Response matrix techniques not yet tried
 - TESLA response matrix is large compared to existing machines where the technique has been used

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- Most involve tedious shunt technique
 - How good is this?;/ How can we improve?
 - ATF skew quad/sextupole hysteresis
 - Hysteresis gives residual horizontal kick
- ATF:
 - Strong gradient bend
 - No component movers
- NLC
 - Gradient bend





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ATF BBA – basic 'good' difference orbit



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Collective effects – IBS & electron cloud

Or: How much 'global' tuning is forced?

•tune shifts (from a number of sources) impact the emittance correction algorithms

- practical difficulties separating:
 - emittance growth from collective effects $\leftarrow \rightarrow$
 - emittance growth resulting from magnet misalignments

Avoid GLOBAL TUNING as much as possible



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Evolution of energy spread following injection for I : 1.6e9 4.8e9 8.0e9 0.6 1.7 2.8 mA

Evidence for IBS at ATF – vertical coupling into σ_E



Sequence:

- sigE/E Vertical still large – no effect on x and E
- Vertical damped increase in x and E
- minimum at 70ms (2.5 τ_{rad})

Simulation consistent when coupling \rightarrow

 $\epsilon_v / \epsilon_x = 0.006$

IBS – relative *y/x* growth rate

$$H = \left[\eta^{2} + (\beta \eta' + \alpha \eta)^{2}\right] / \beta \quad \frac{dispersion}{invariant}$$

$$\frac{\mathcal{E}_{y0}}{\mathcal{E}_{x0}} = \frac{\left\langle H_{y} \right\rangle_{B} J_{x}}{\left\langle H_{x} \right\rangle_{B} J_{y}}$$
$$\frac{d\mathcal{E}_{y}}{d\mathcal{E}_{x}} = \frac{\left\langle H_{y} \right\rangle J_{x}}{\left\langle H_{x} \right\rangle J_{y}}$$

Zero current emittance – determined by SR in bends

Emittance growth from IBS – determined by dispersion throughout

Divide and assume that there is nothing special about η_v in the bends

 $\left\langle H_{y}\right\rangle_{R} \approx \left\langle H_{y}\right\rangle$

 $\frac{H_x}{\langle H_y} = \frac{(\varepsilon_y - \varepsilon_{y0})/\varepsilon_{y0}}{(\varepsilon_x - \varepsilon_{x0})/\varepsilon_{x0}}$

(Tor & Kubo)

Dispersion invariant – *H* – for ATF and NLC design







Emittance results

- ε_y0 extrapolation is poor
- Observed energy spread & horizontal emittance growth indicates a 2 3 x smaller vertical emittance than observed
- Growth ratio shows a similar factor
- measurements made 4/00 to 6/01

Table of emittance measurements: (e-9/e-11 x/y, not normalized)

		e_x0	e_x	e_y0	e_y	r
extracted	wires 4/00	1	1.85	1	3	2.35
extracted	Dec-00	1.1	2.2	1.7	4	1.35
extracted	Feb-01	1.1	2.2	0.7	2.8	3.00
extracted	Apr-01	1	2.4	1.2	2.5	0.77
extracted	Jun-01	1.2	2.1	0.9	2.3	2
ring	L wire	1.1	2.2	0.7	1.9	1.71

• IBS:
$$1 < r < 1.6$$
 (ATF)
x/y cpl η_y $r = \frac{(\varepsilon_y - \varepsilon_{y0}) / \varepsilon_{y0}}{(\varepsilon_x - \varepsilon_{x0}) / \varepsilon_{x0}}$

Electron cloud density (e+) simulation

 $Ecloud \sim threshold \ effect$

NLC:

- no magnetic field
- Could be worse in wiggler

Tesla:

- straight only
- Arcs ignored
- Bunch spacing

